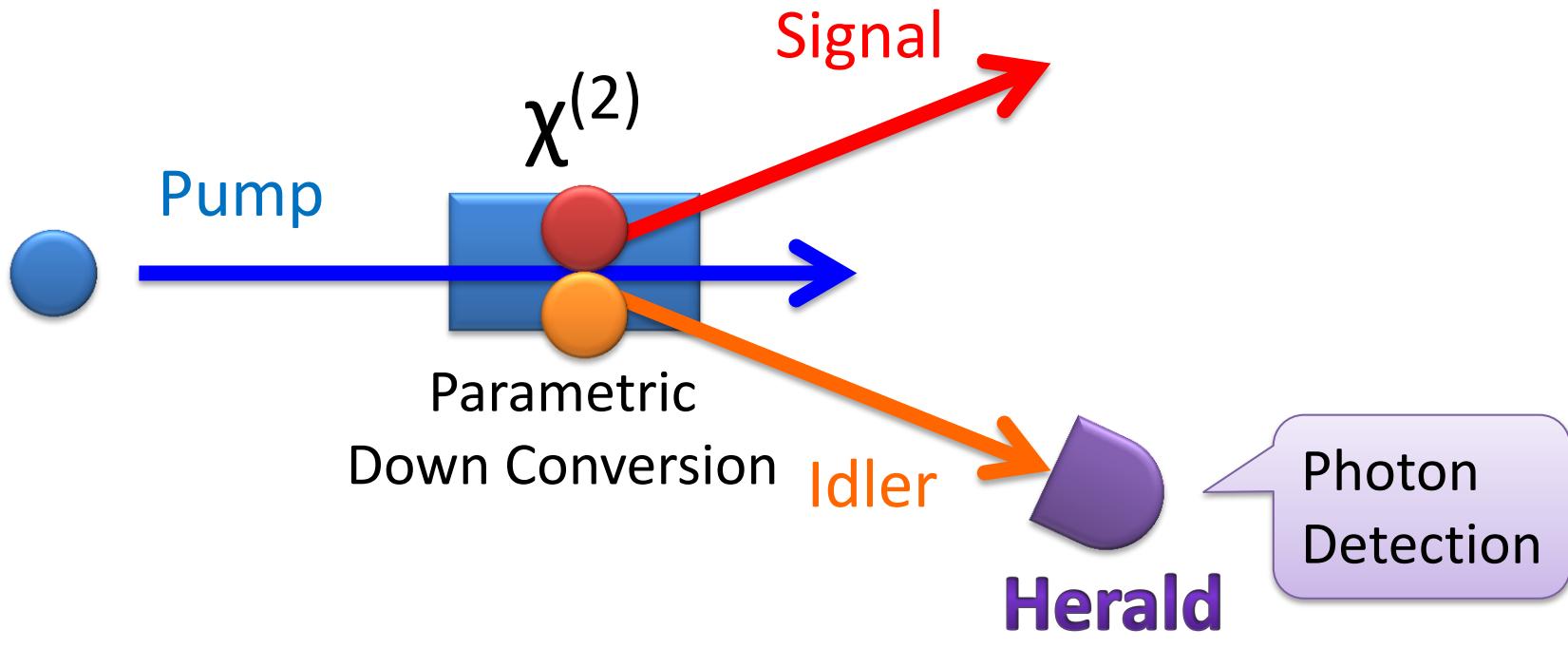


Heralded quantum states characterized by homodyne detection

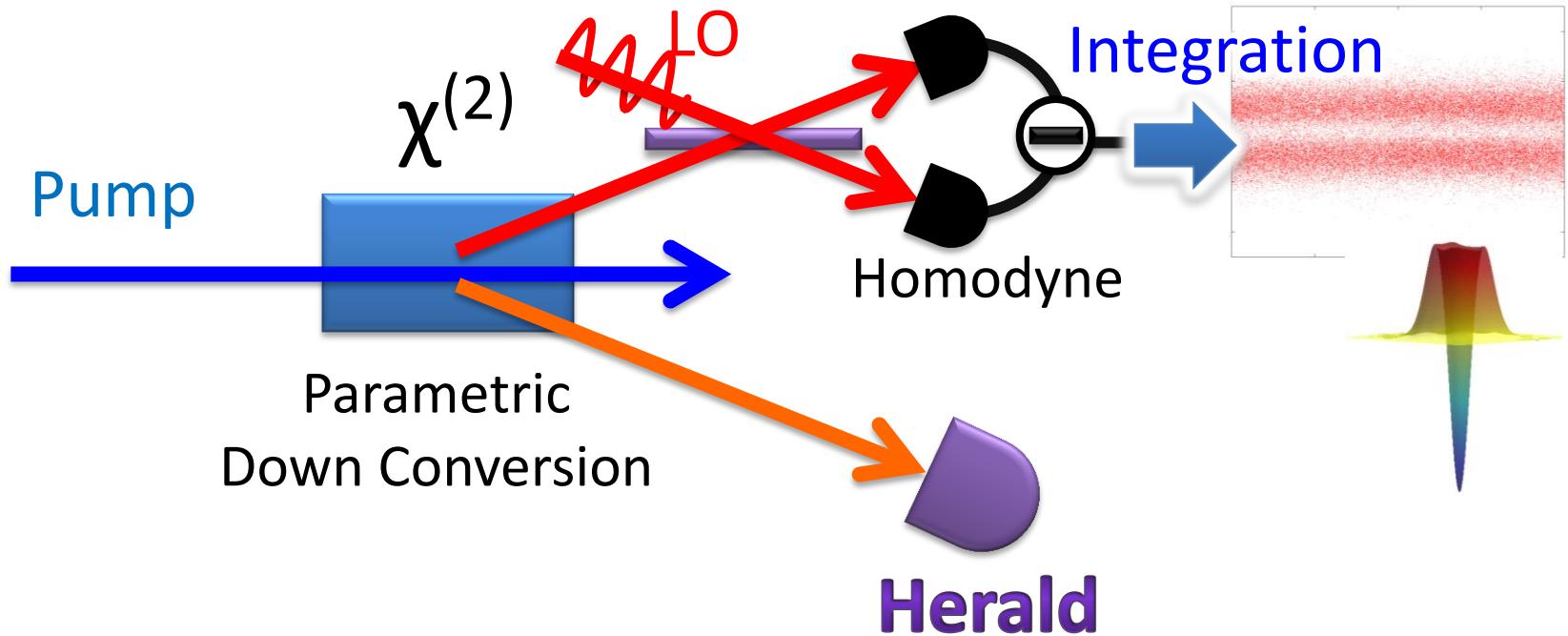
Jun-ichi Yoshikawa
The University of Tokyo

Heralding Scheme



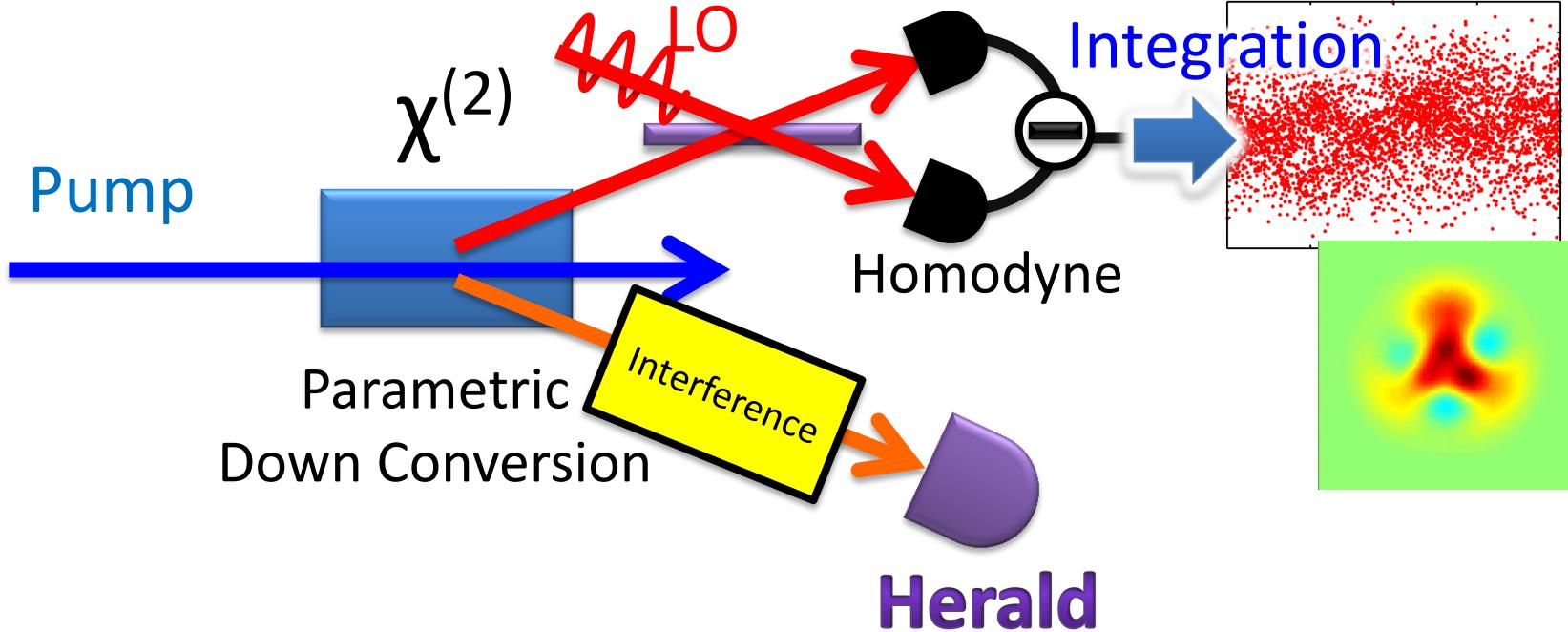
① Probabilistic

Homodyne Characterization



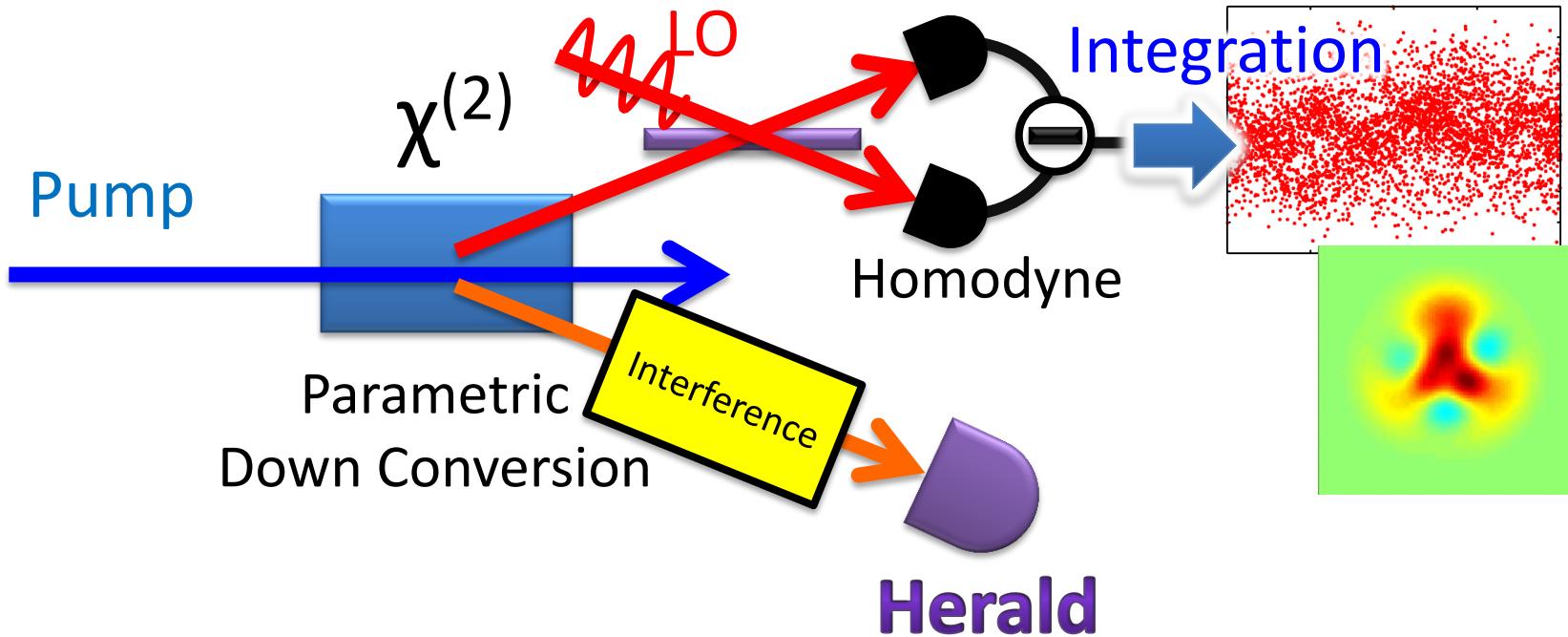
- ① Probabilistic
- ② Post Processing (Homodyne Integration)

Generalization



- ① Probabilistic
- ② Post Processing (Homodyne Integration)
- ③ Projection onto Various States

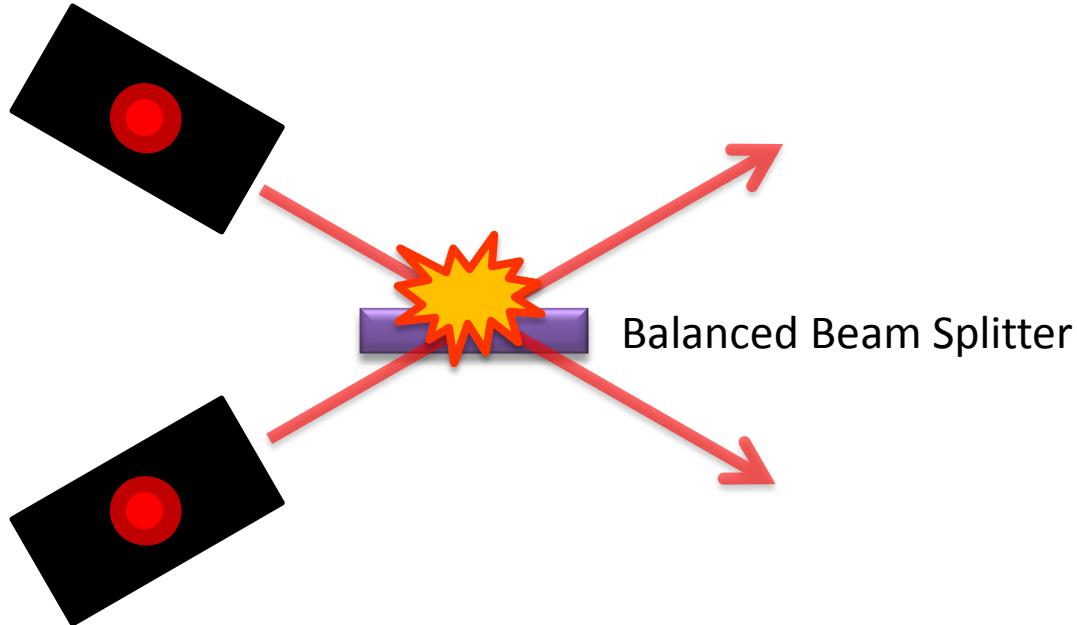
Three Topics



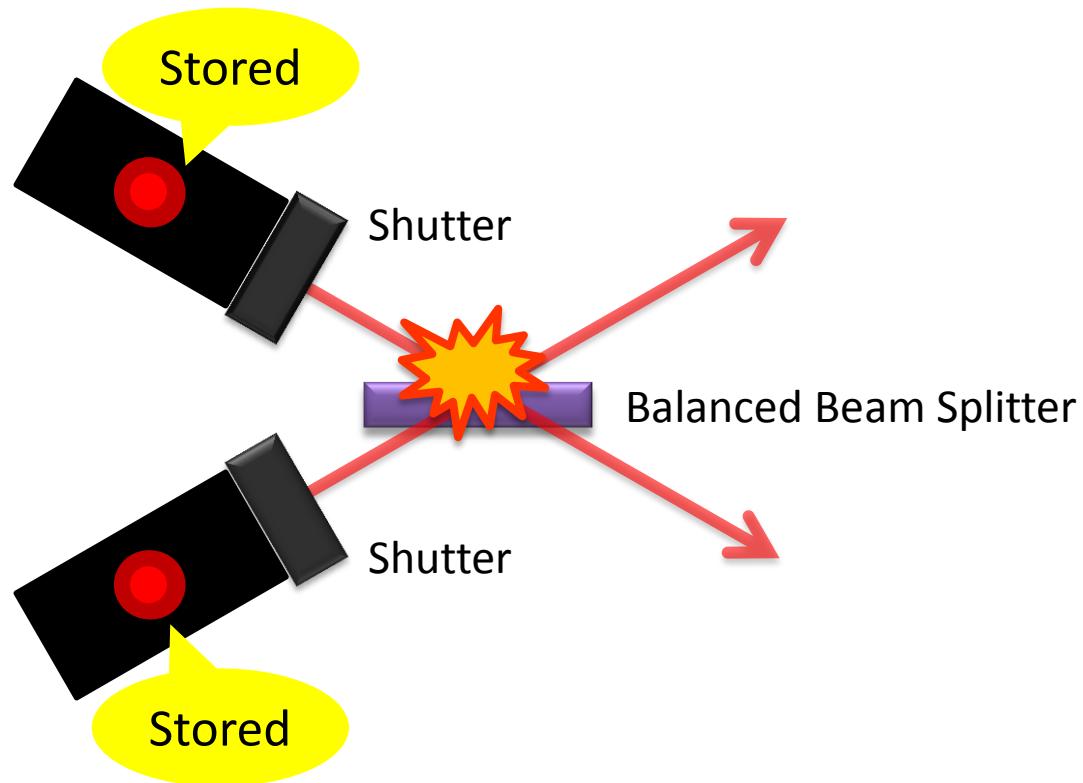
- ① Probabilistic \rightarrow Synchronization by Cavity Quantum Memories
- ② Post Processing (Homodyne Integration)
 \rightarrow Real-Time Acquisition of Non-Gaussian Quadratures
- ③ Projection onto Various States
 \rightarrow Multi-Mode Multi-Photon Heralded States

I) SYNCHRONIZATION OF HERALDED SINGLE PHOTONS

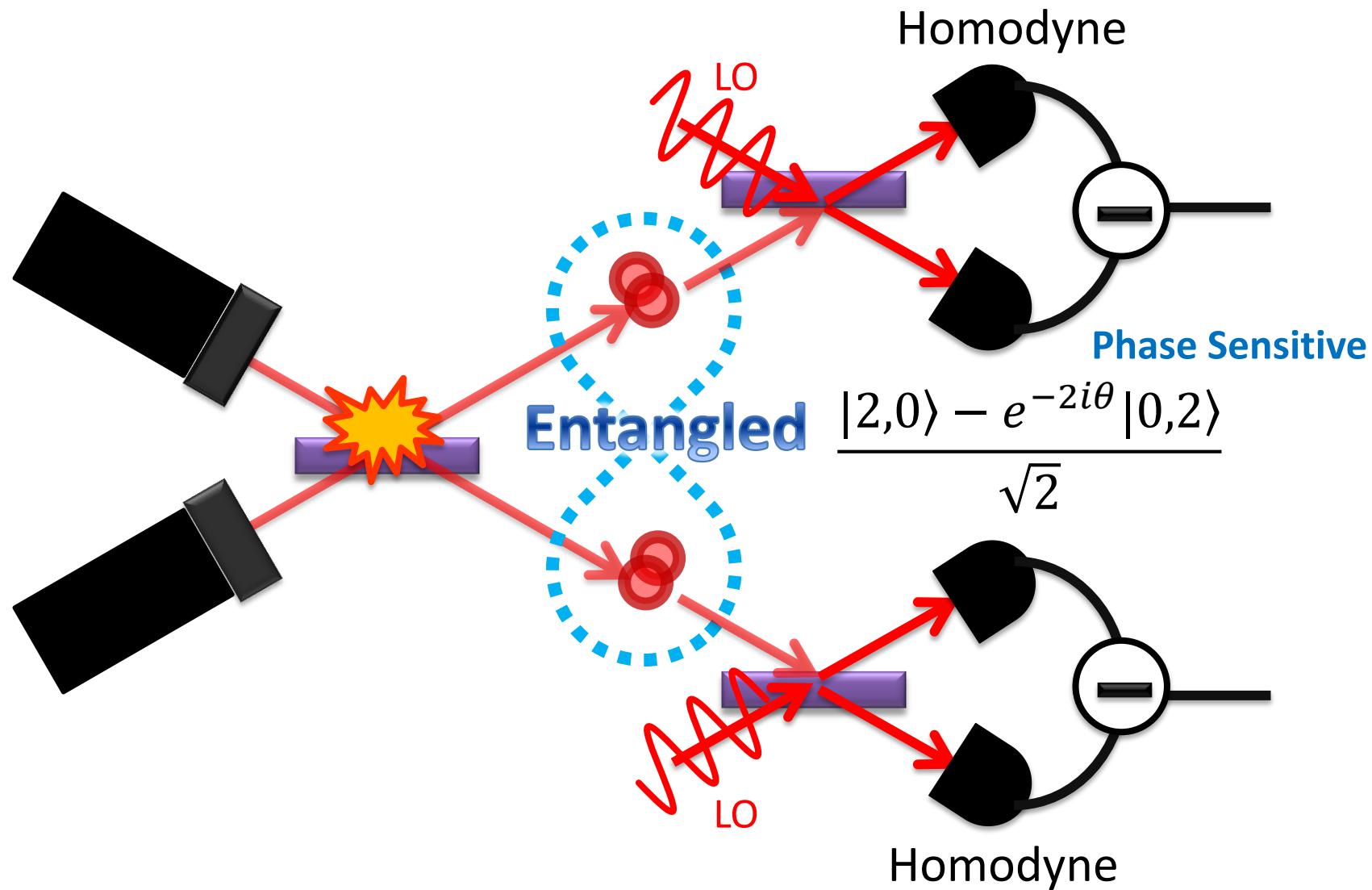
Two-Photon (HOM) Interference



Controlled HOM Interference



Controlled HOM Interference

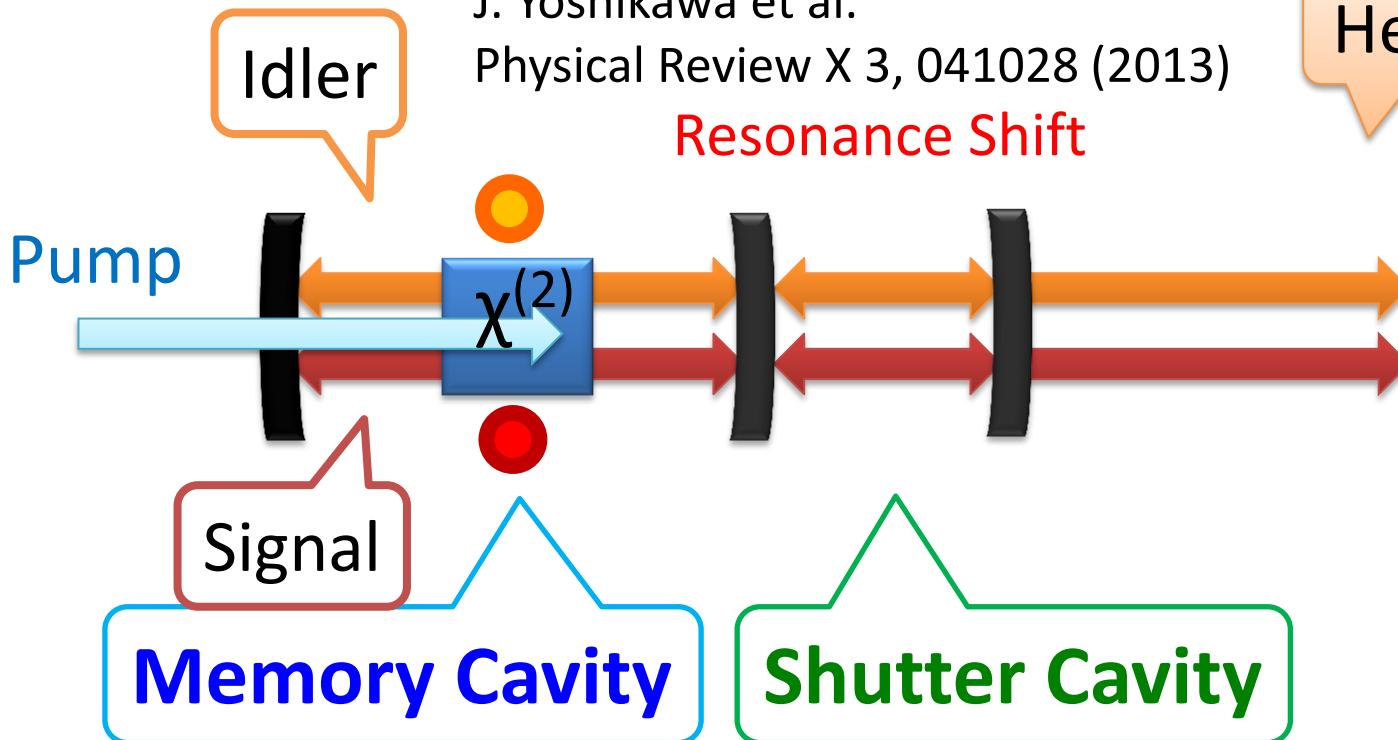


Storage of Heralded Photons

J. Yoshikawa et al.

Physical Review X 3, 041028 (2013)

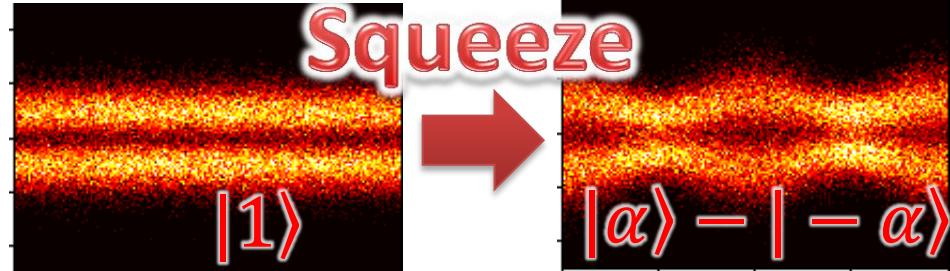
Herald



- * Optical Frequency Not Limited by the Memory System
- * Quantum Post-Processing may Extend the Range of Application
E.g. Squeezing => Minus Kitten

Y. Miwa et al.,

Phys. Rev. Lett. 113, 013601 (2014)



Concatenated Cavities

Another Memory Cavity

Pump Beam
CW $\lambda=430\text{nm}$

PPKTP
crystal

Round Trip 0.7m

Shutter
Cavity

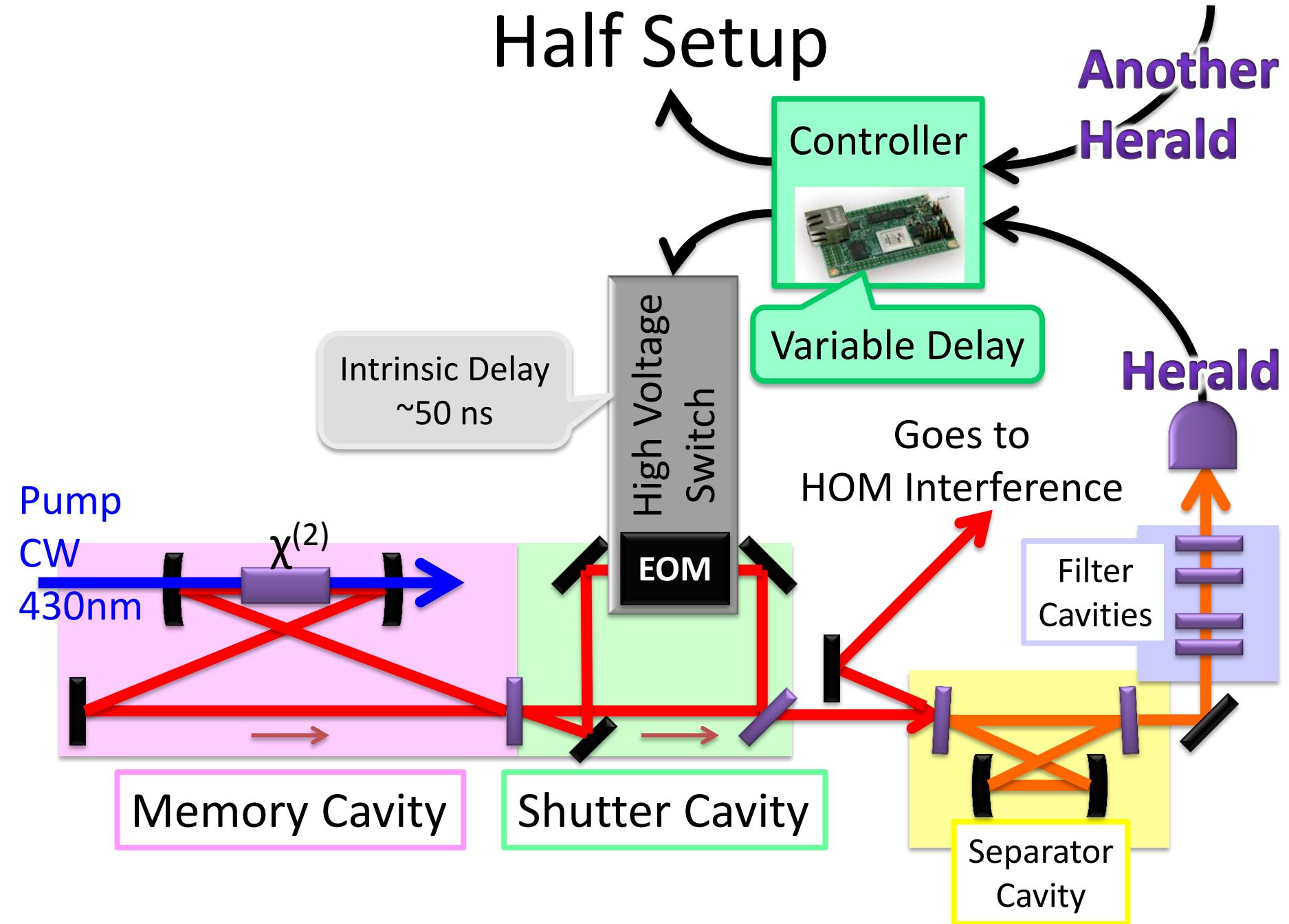
EOM
Box

72:28

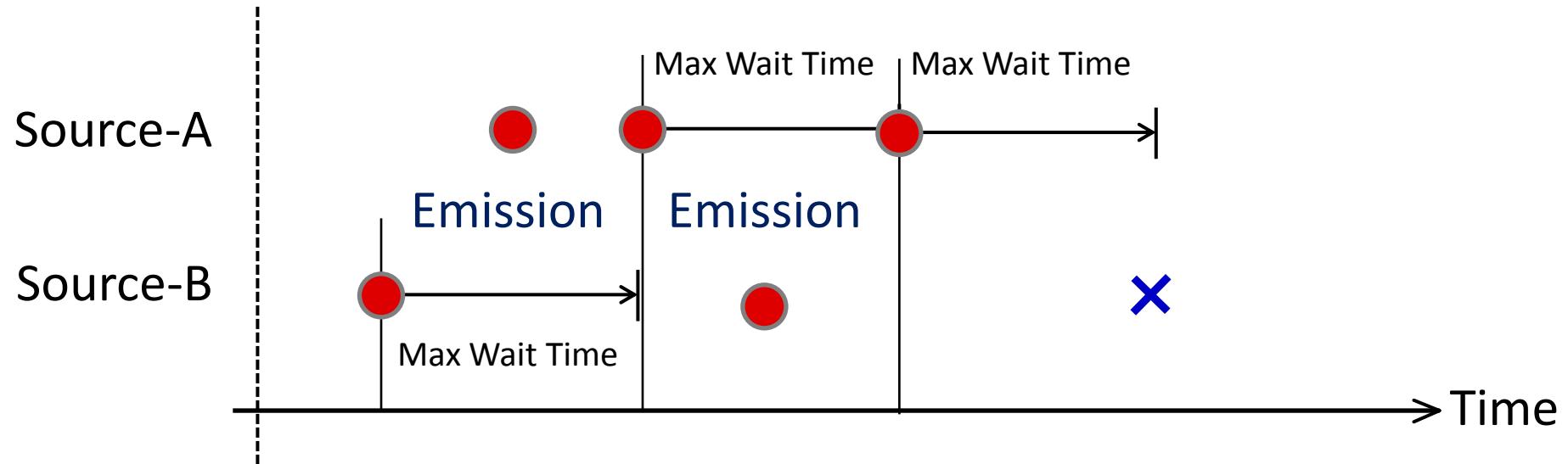
98:2

Memory
Cavity
 $\lambda=860\text{nm}$
Round Trip 1.4m
=> FSR 220MHz

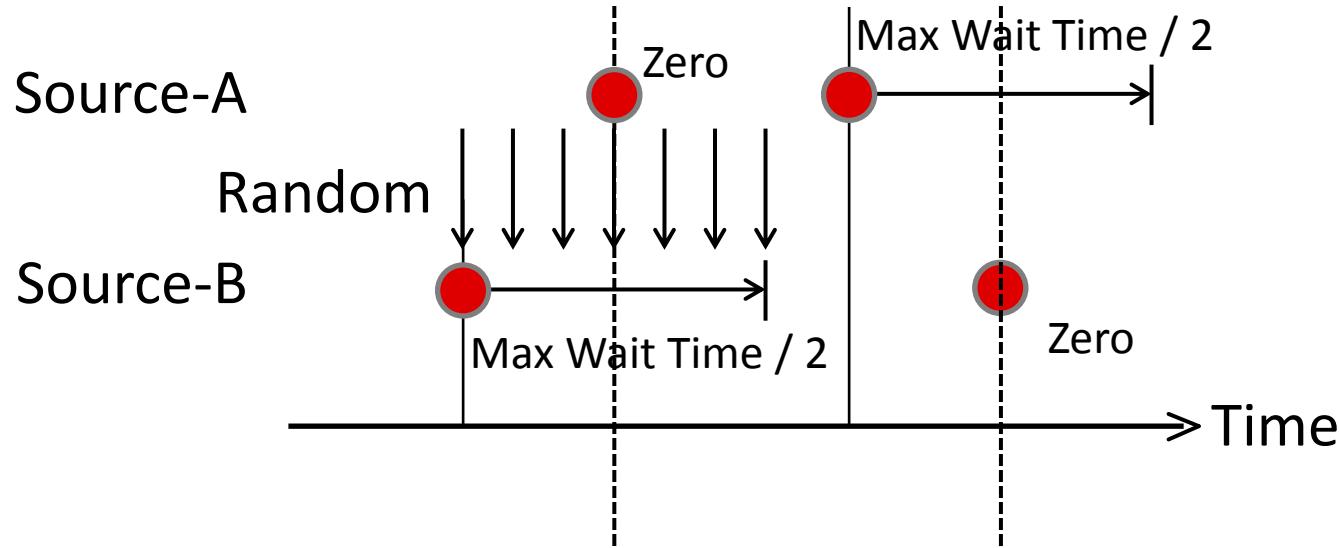
Half Setup



Synchronization



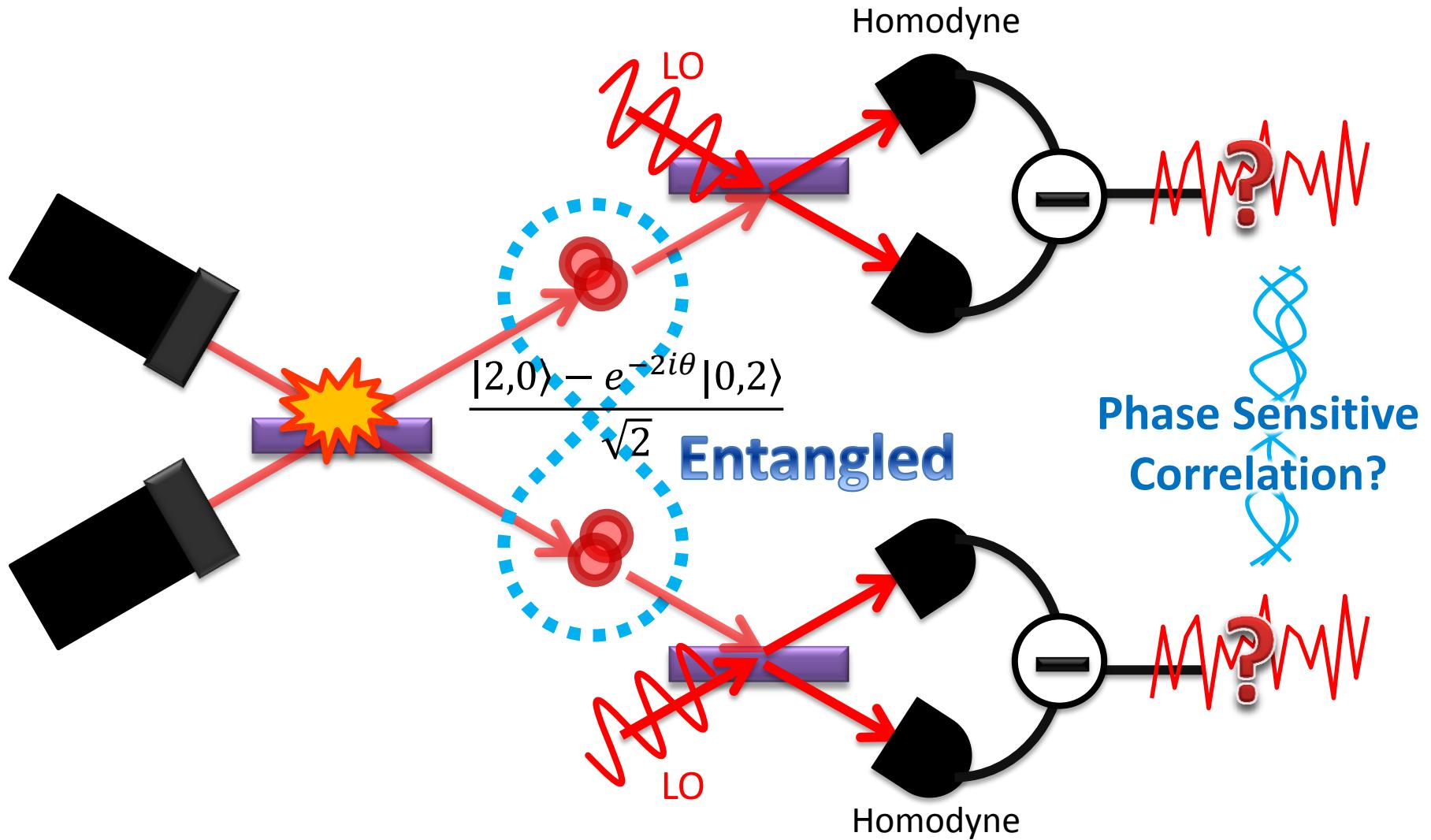
Average Waiting Time



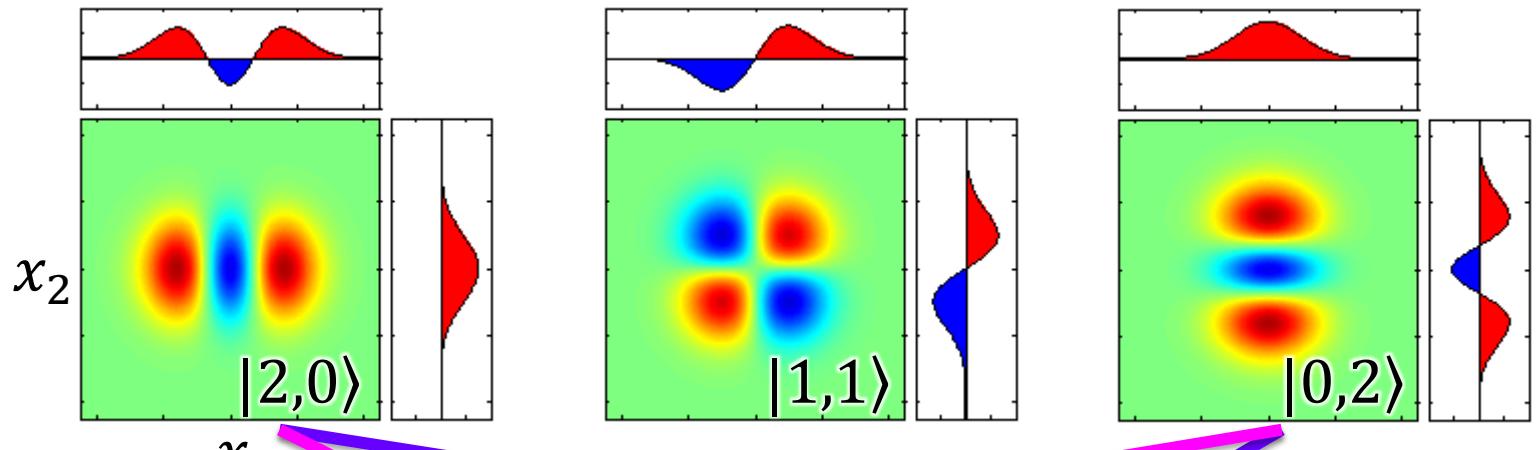
$$\begin{aligned}\text{Average Waiting Time} &= \frac{(\text{Maximum Waiting Time}/2) + 0}{2} \\ &= \frac{\text{Maximum Waiting Time}}{4}\end{aligned}$$

Explanation of 4-fold Increase

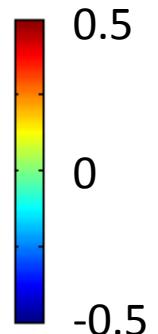
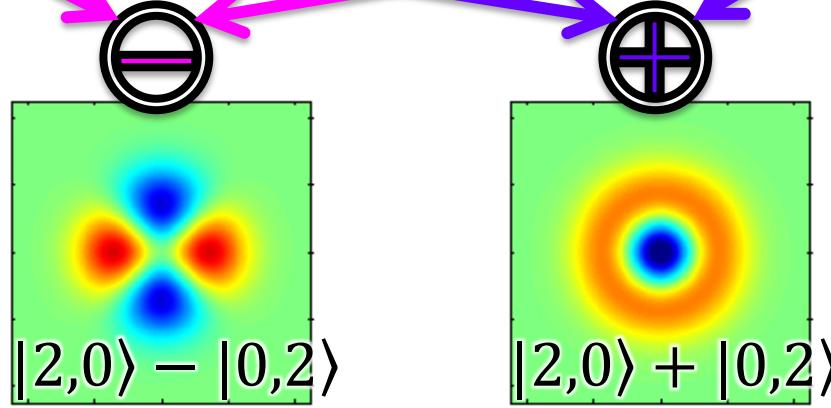
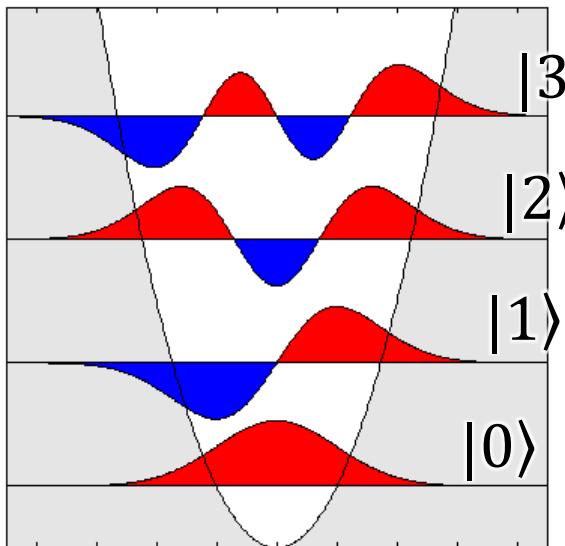
Wave Picture of a HOM State?



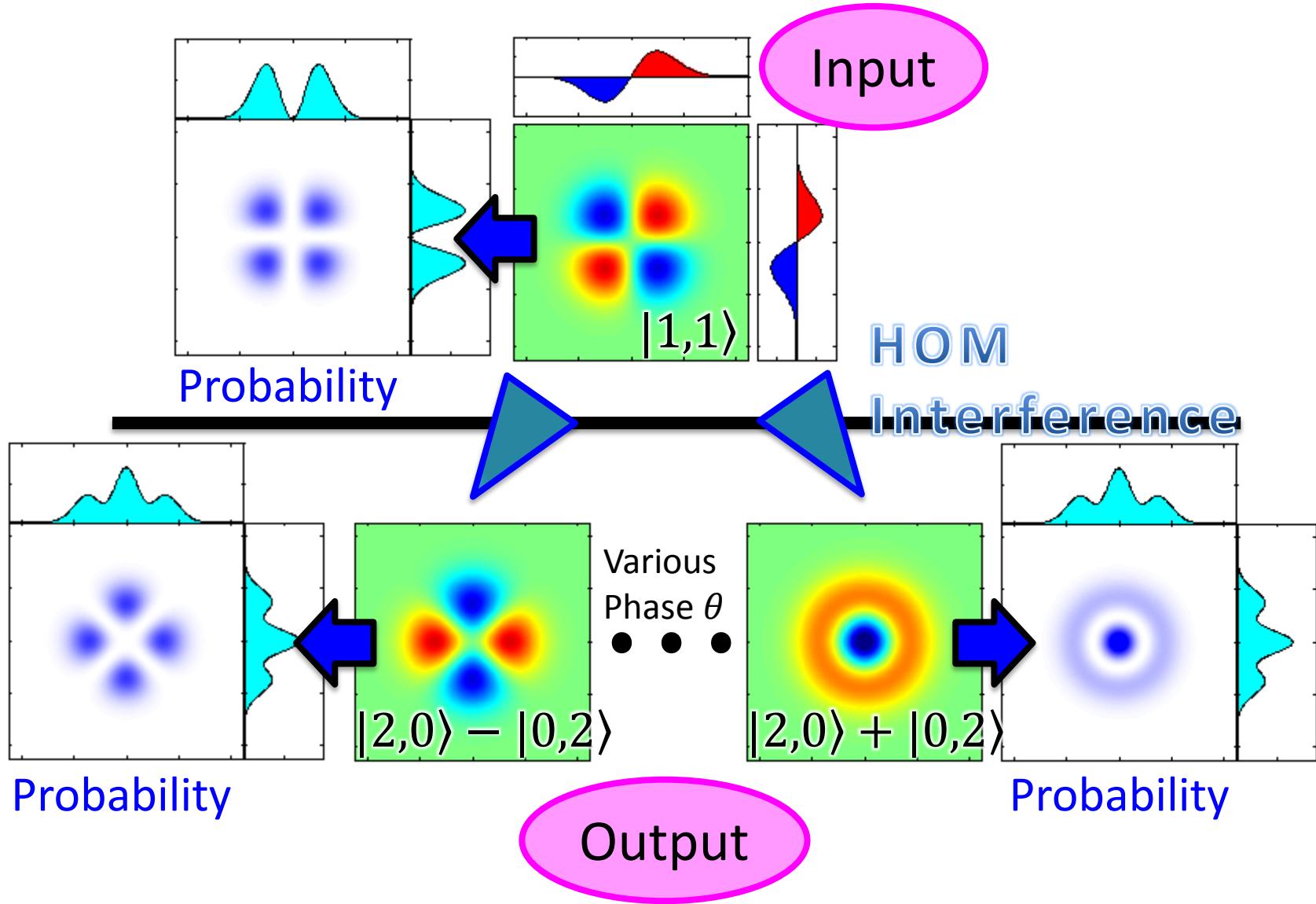
Two-Mode Wave Functions



Quantized Harmonic Oscillator



HOM in a Wave Picture



Density Matrix in Number Basis

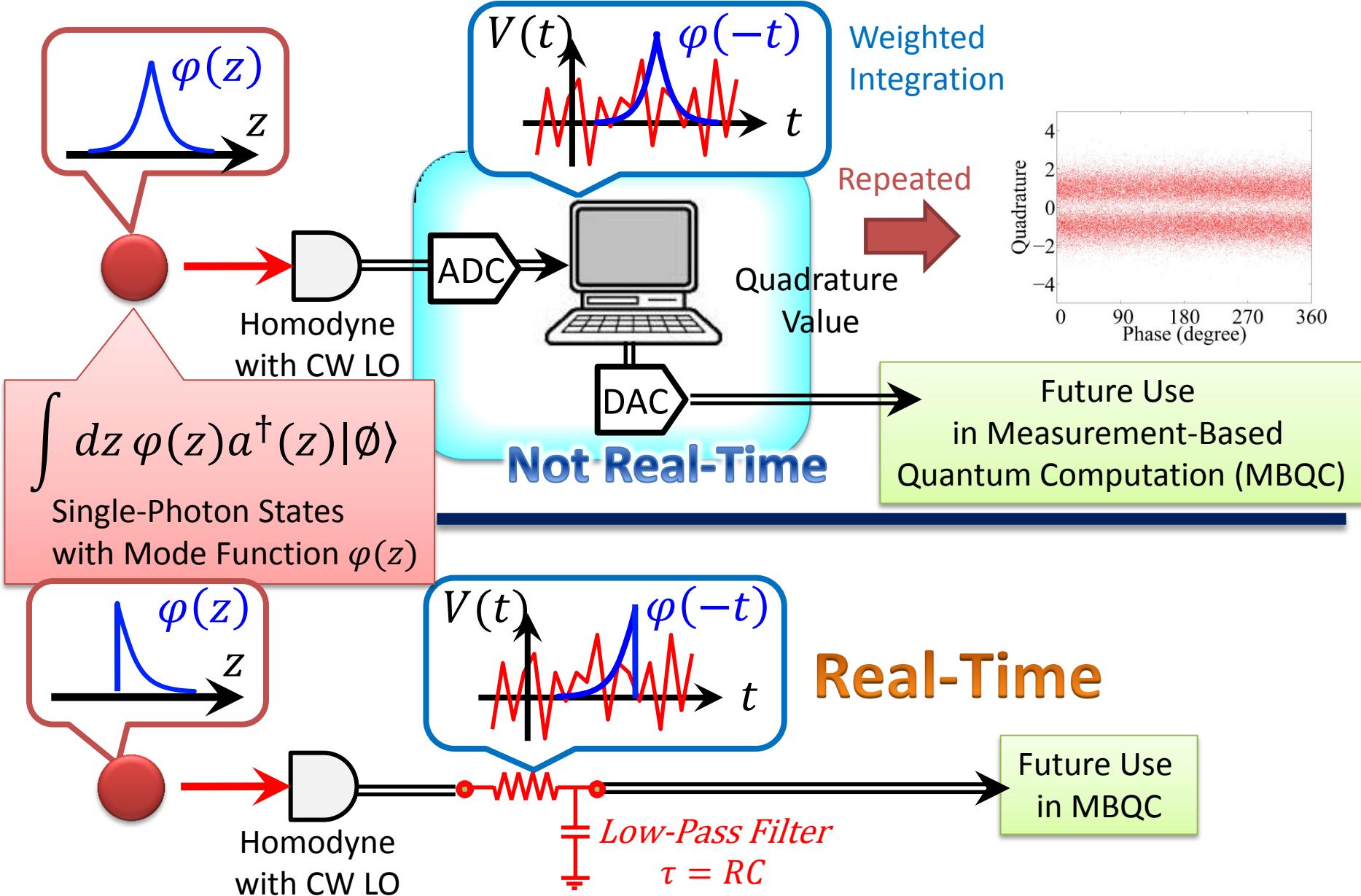
$$|\text{HOM}(-\theta)\rangle = \frac{|2,0\rangle - e^{-2i\theta}|0,2\rangle}{\sqrt{2}}$$

Rotation of Measurement Basis
=> **Quantum Tomography** of $|\text{HOM}(0)\rangle$

$$\Pr(x_1, x_2) = |\langle x_1, x_2 | \text{HOM}(-\theta) \rangle|^2 = \left| \langle x_1, x_2 | \hat{U}^\dagger(\theta) | \text{HOM}(0) \rangle \right|^2$$

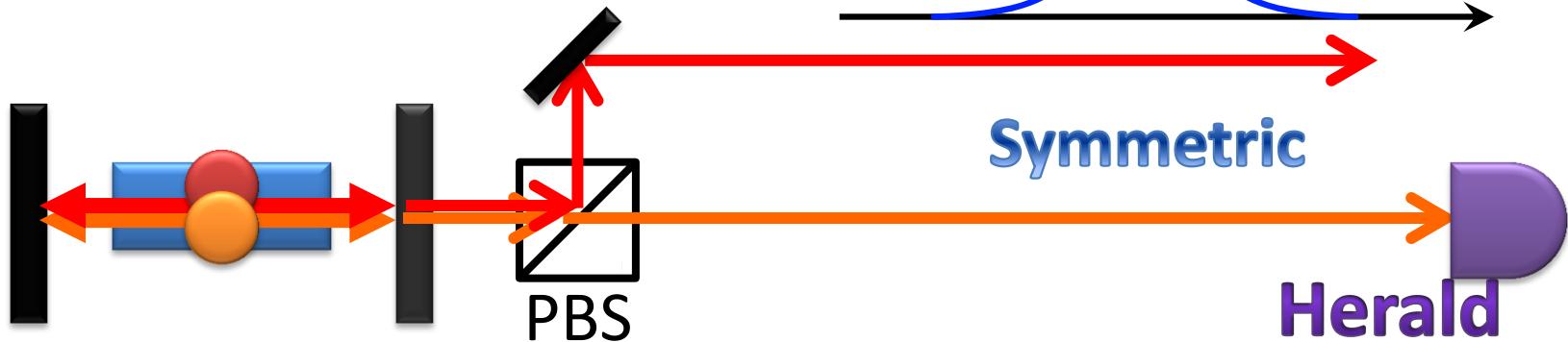
II) REAL-TIME ACQUISITION OF QUADRATURE VALUES

Weighted Integration for Quadratures



Symmetric and Asymmetric PDC

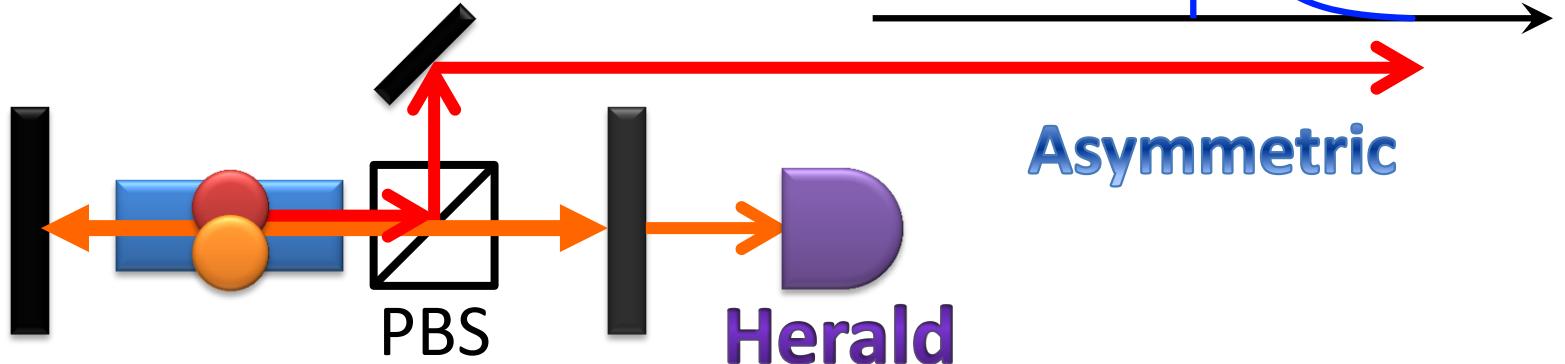
Symmetric Doubly-Resonant OPO



Symmetric

Herald

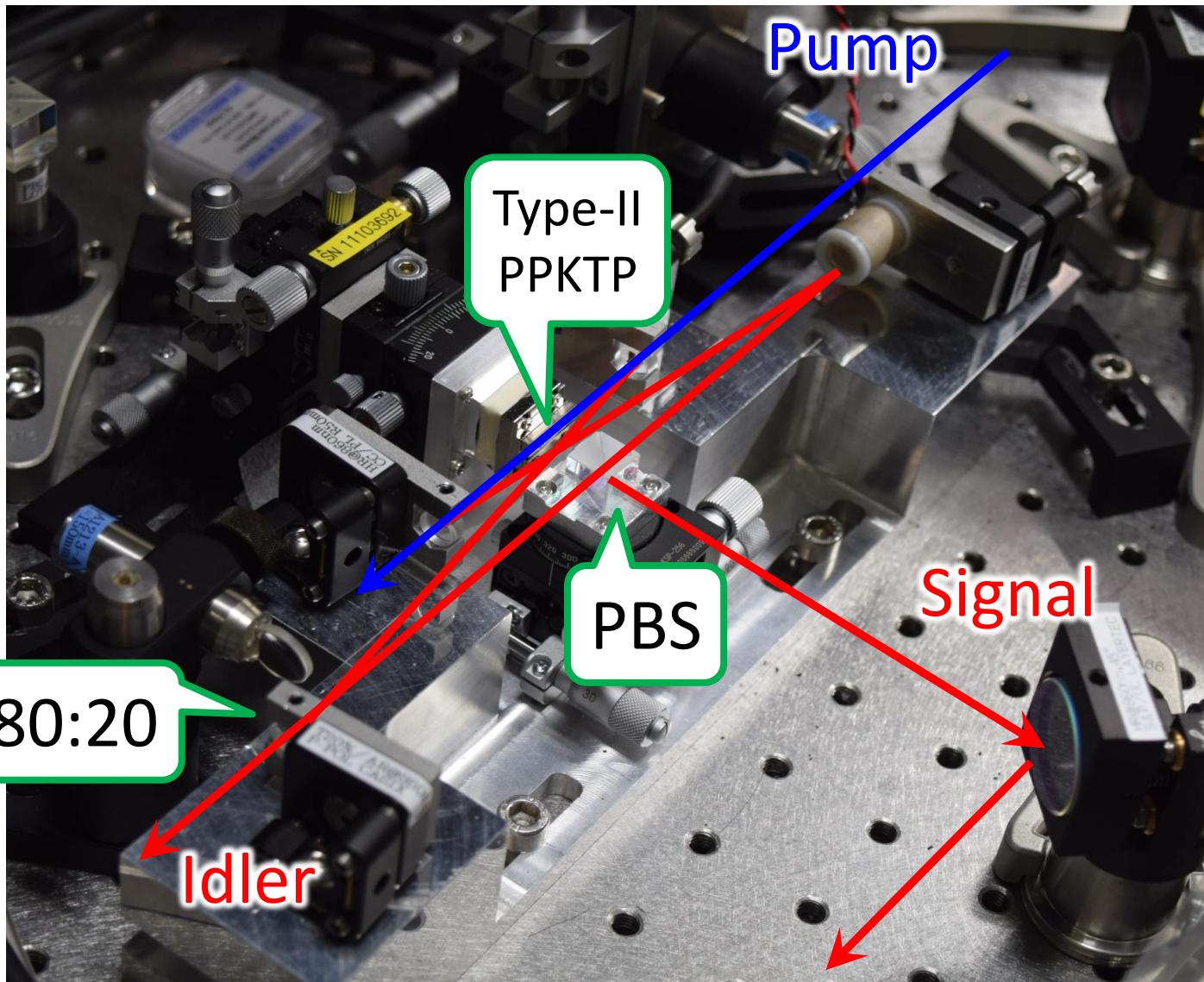
Asymmetric Singly-Resonant OPO



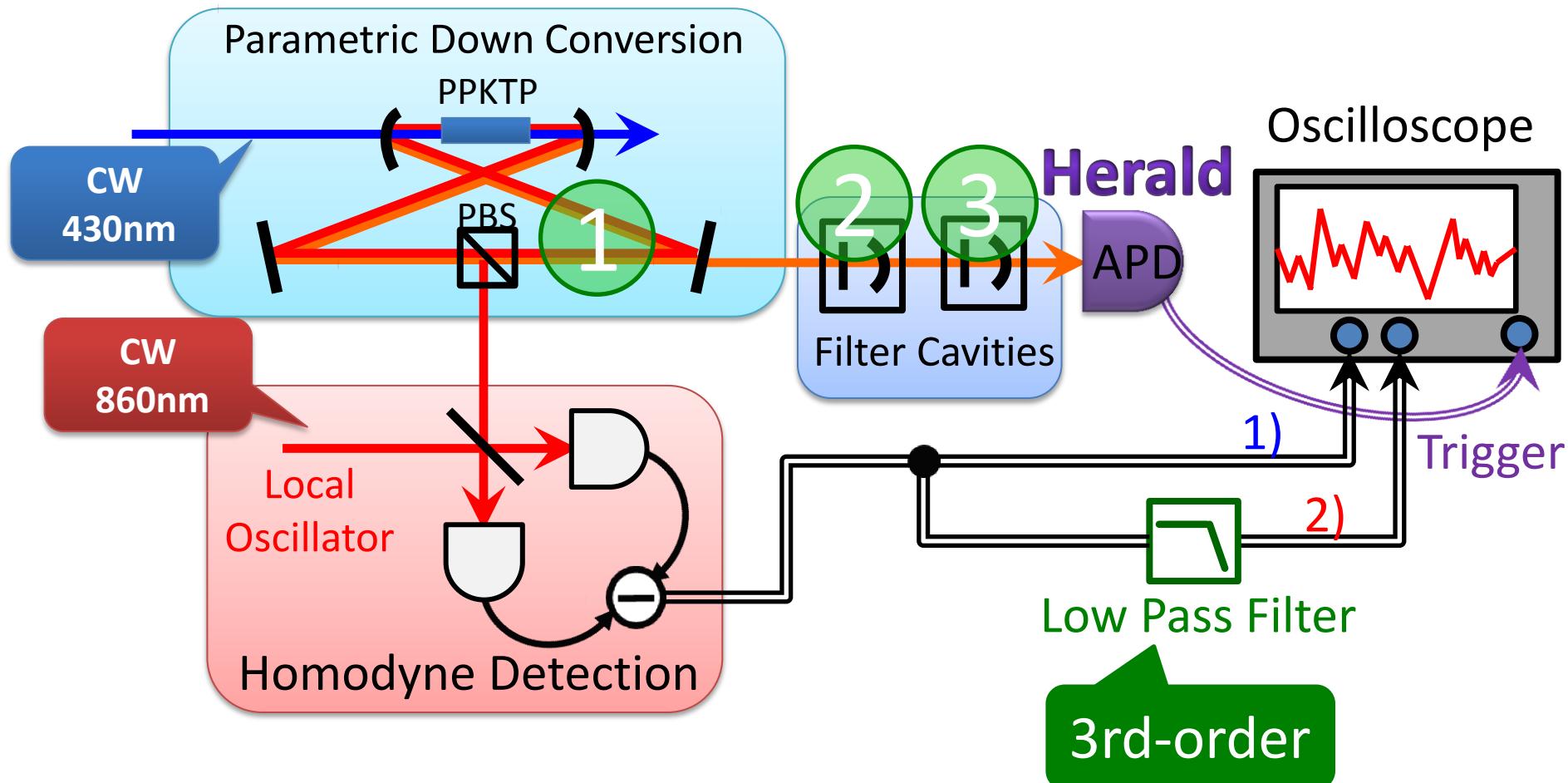
Asymmetric

Herald

Singly-Resonant OPO



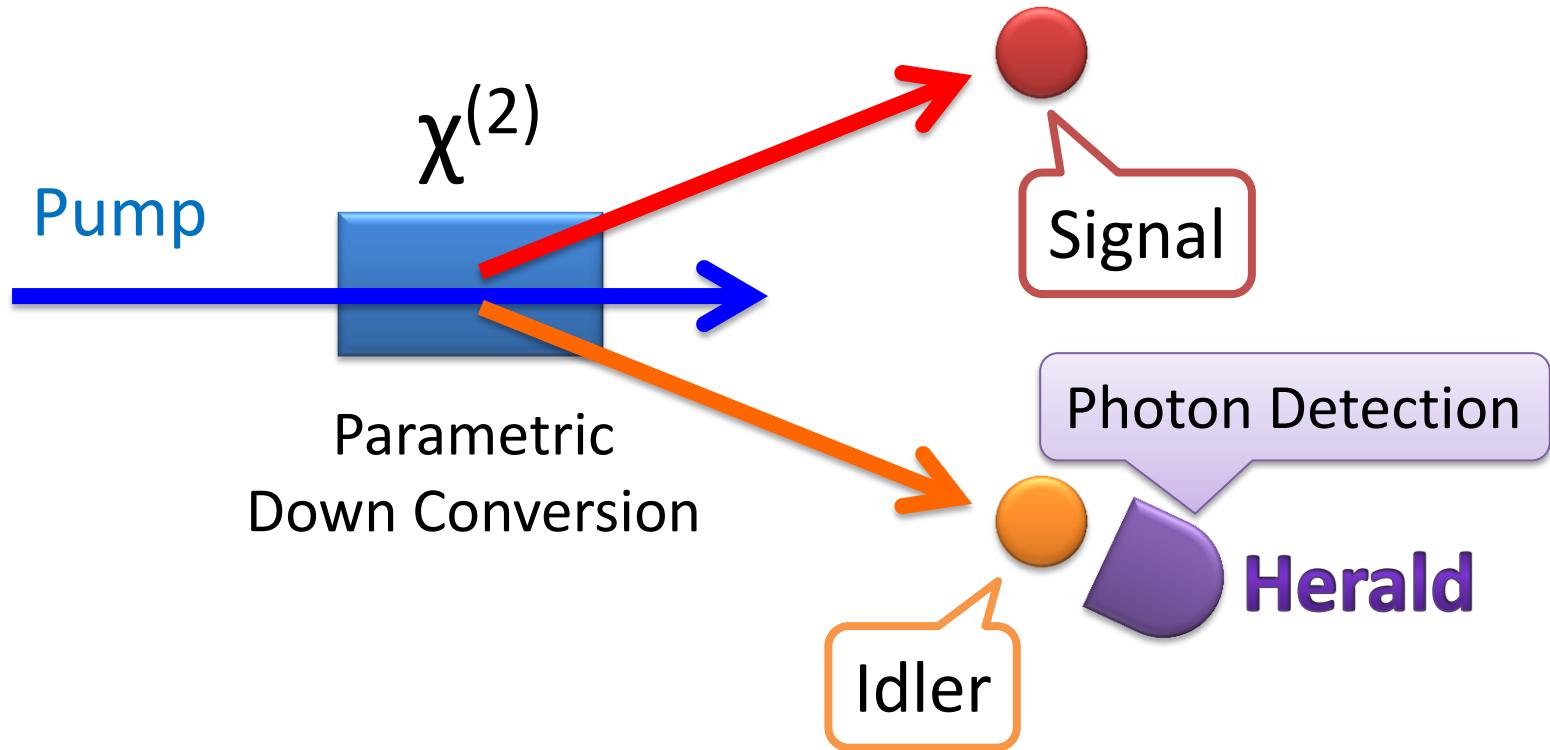
Experimental Setup



- 1) Unfiltered Original Signal => Integration by Post Processing
- 2) Filtered Signal

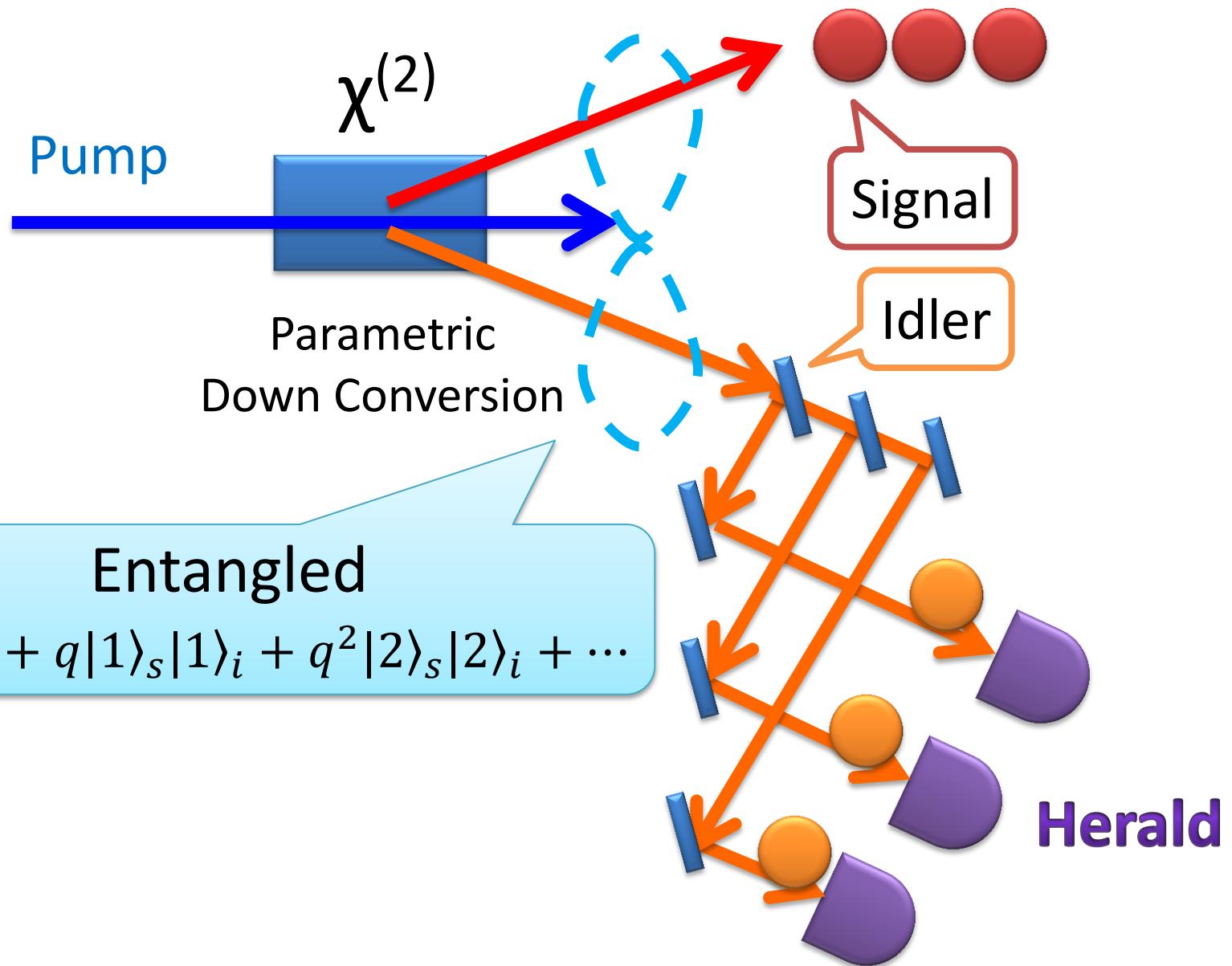
III) BI-PHOTON BI-MODE QUTRIT GENERATION

Heralding Scheme

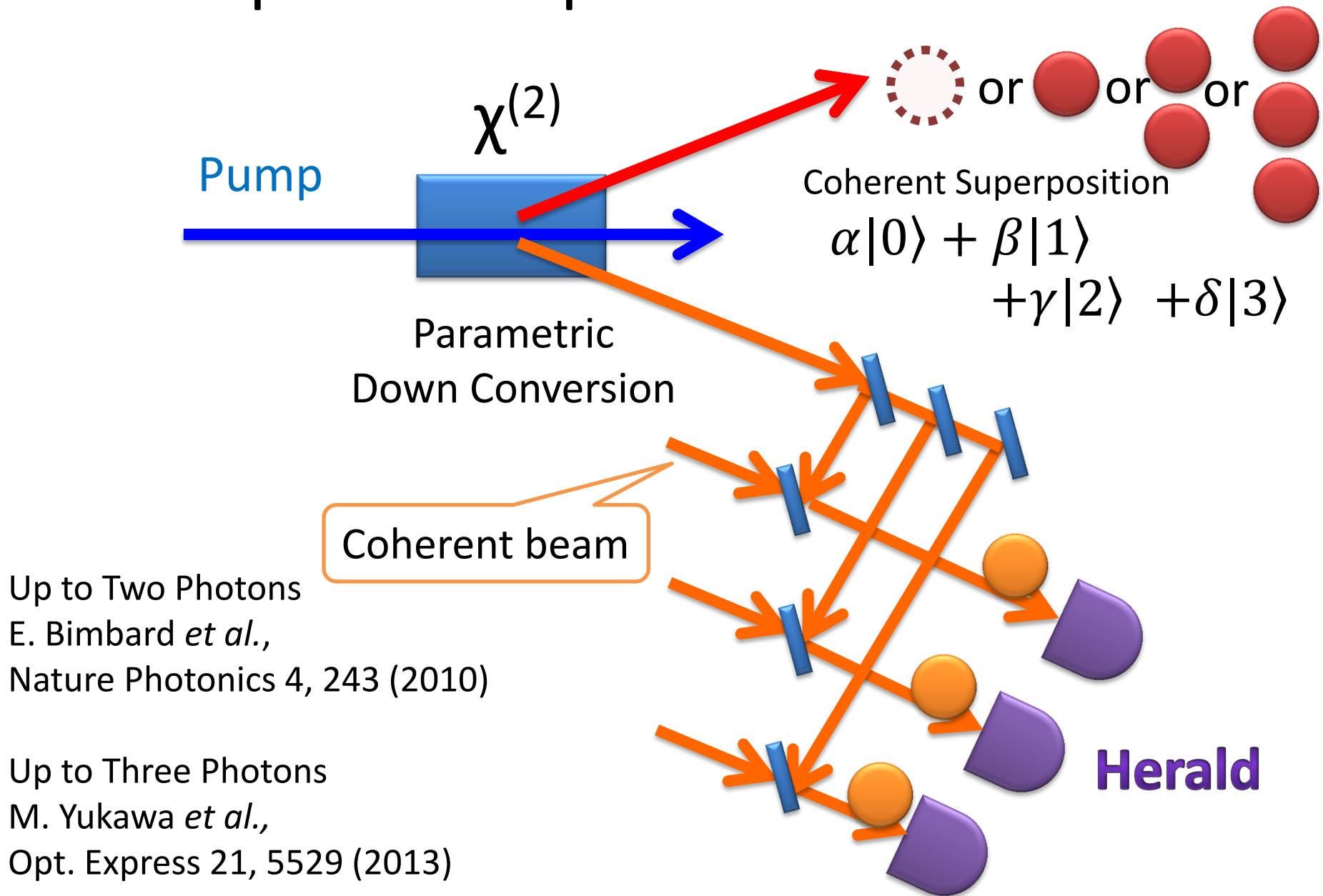


Extendable to a Variety of Non-Classical Quantum States

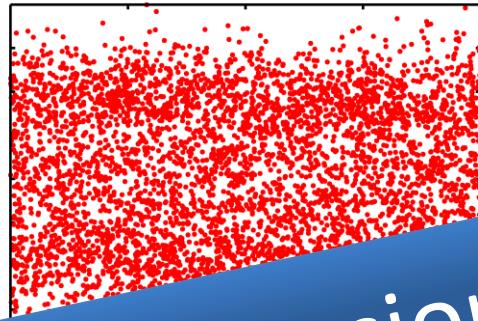
Multi-photon & phase-sensitive states



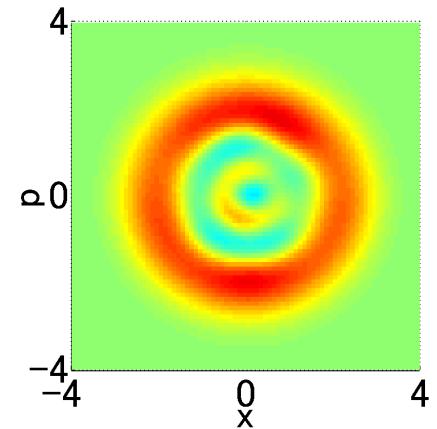
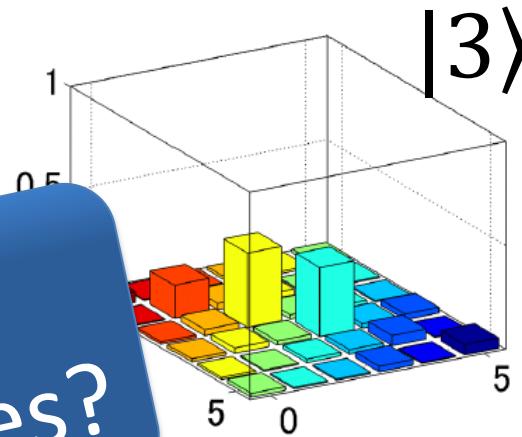
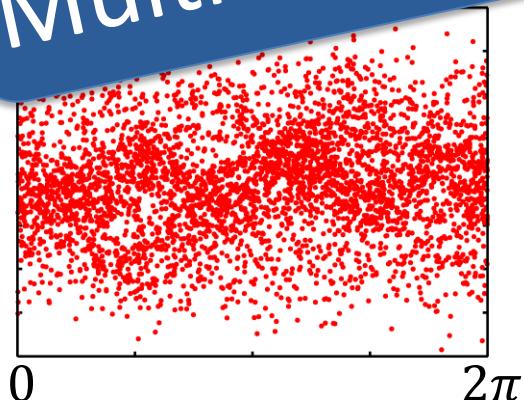
Multi-photon & phase-sensitive states



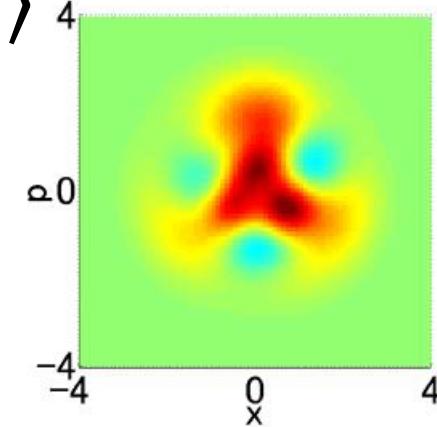
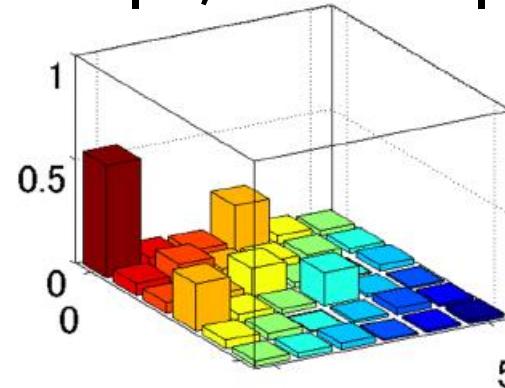
Non-Gaussian State Generation



Extension to
Multi-Mode States?



$$0.8|0\rangle - i0.6|3\rangle$$



M. Yukawa *et al.*,
“Generating superposition of up-to three photons
for continuous variable quantum information processing”
Opt. Express 21, 5529 (2013)

Multi-Mode States for QEC

$$|0_L\rangle = \frac{1}{\sqrt{2}}(|4,0\rangle + |0,4\rangle)$$

$$|1_L\rangle = |2,2\rangle$$

Error Correction Code
against a Photon Loss

I.L. Chuang et al.,
“Bosonic quantum codes
for amplitude damping”
Phys. Rev. A 56, 1114 (1997).

1) No-Error Case

$$\alpha|0_L\rangle + \beta|1_L\rangle$$

2) Photon Loss in the 1st Mode

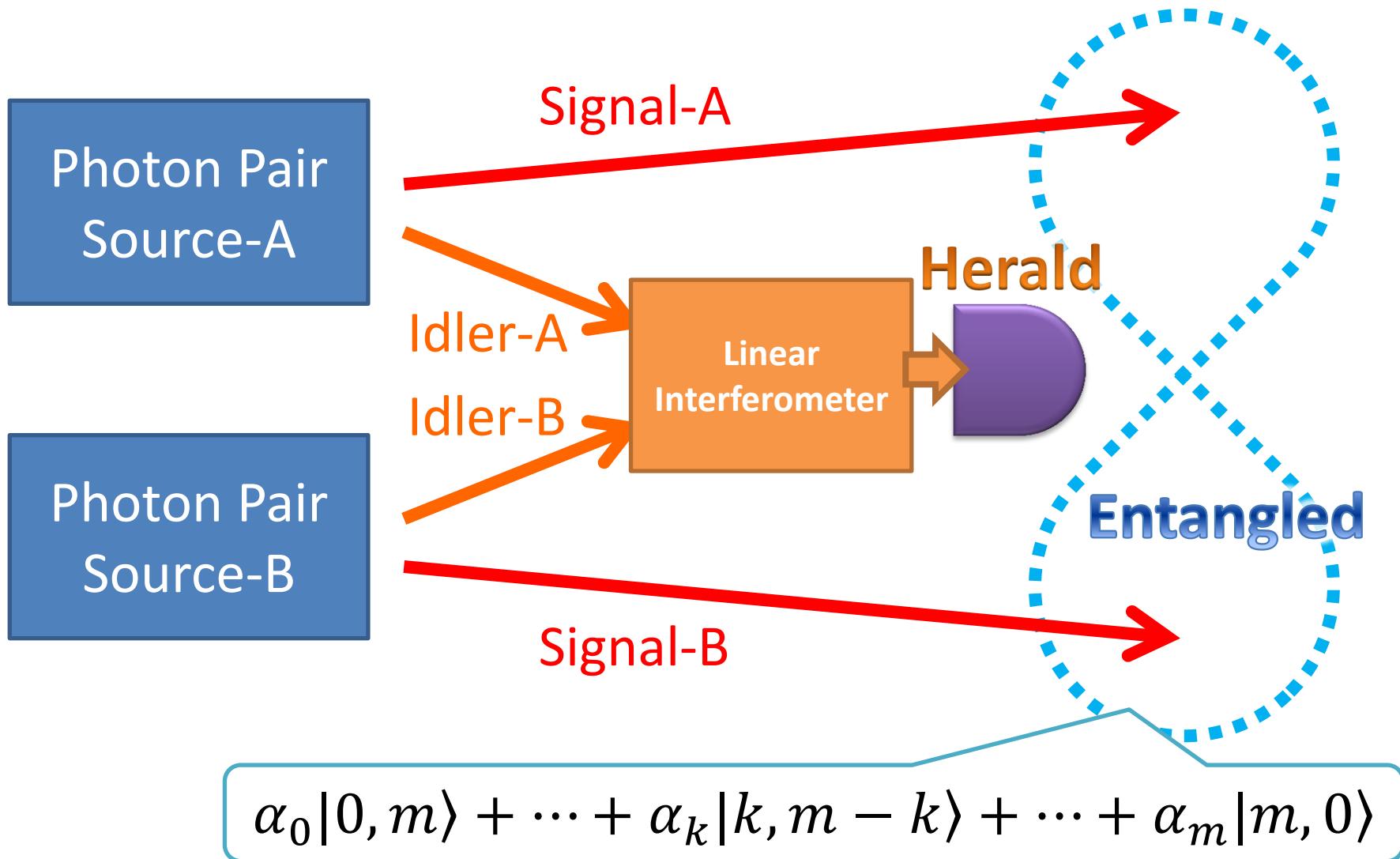
$$\hat{a}_A(\alpha|0_L\rangle + \beta|1_L\rangle) = \sqrt{2}(\alpha|3,0\rangle + \beta|1,2\rangle)$$

3) Photon Loss in the 2nd Mode

$$\hat{a}_B(\alpha|0_L\rangle + \beta|1_L\rangle) = \sqrt{2}(\alpha|0,3\rangle + \beta|2,1\rangle)$$

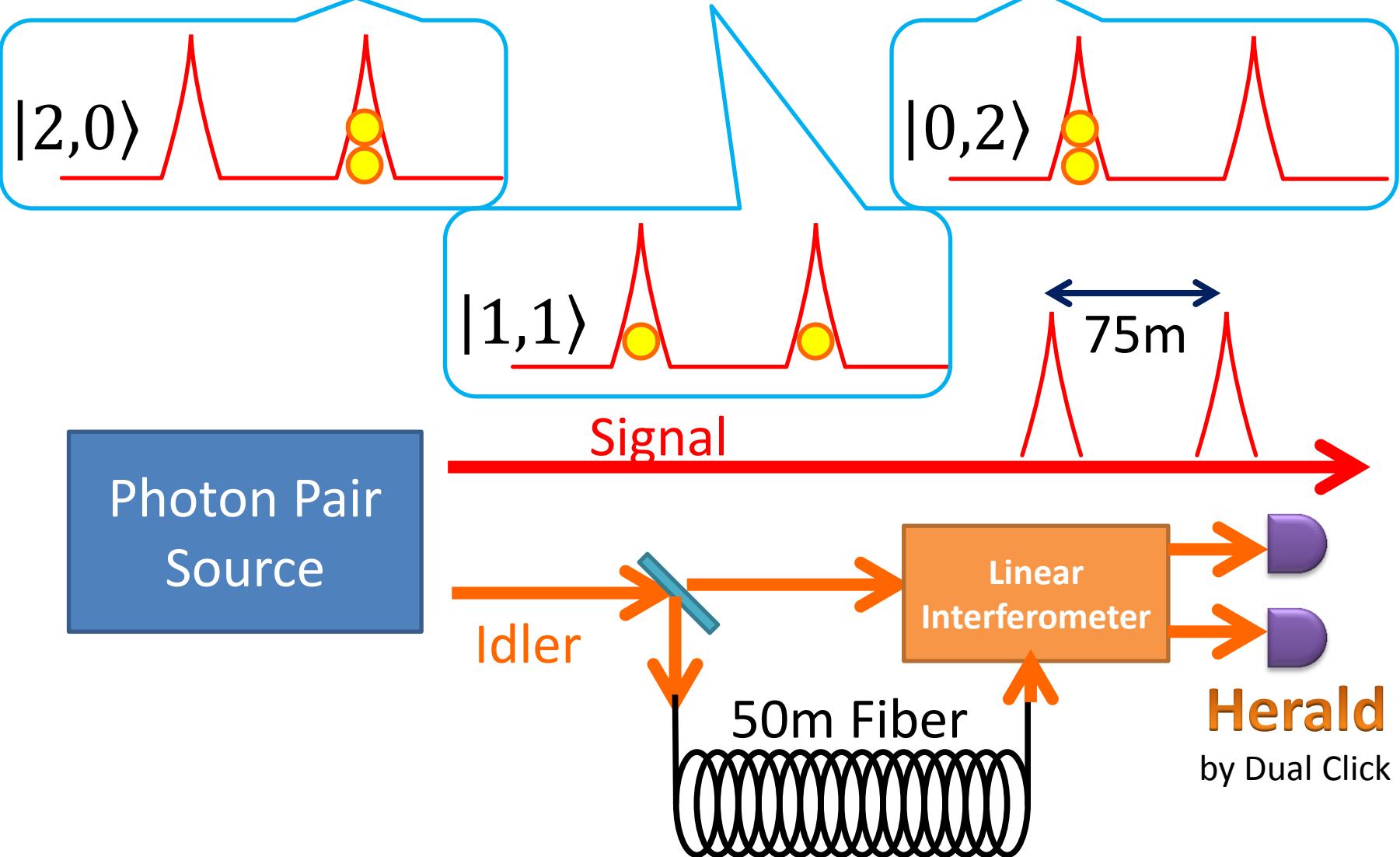
Mutually Orthogonal
&
Undeformed Superposition

Heralded Multi-Mode States



Time-bin Bi-Photon Qutrit Generation

$$\alpha|2,0\rangle + \beta|1,1\rangle + \gamma|0,2\rangle$$



Summary

- We made use of optical cavities as memories to synchronize photons, and characterized the resulting HOM state by wave-basis homodyne.
- We realized real-time acquisition of quadrature values by utilizing exponentially rising photon pulses.
- We extended the heralding scheme to bi-mode, bi-photon qutrit states.

Thanks to Colleagues

Real-time Measurement

Hisashi
Ogawa

Kazunori
Miyata

Maria
Fuwa
Qutrit

Synchronized HOM

Yosuke
Hashimoto

Kenzo
Makino

Visiting Here

Me

Prof.
Furusawa

Univ. of Tokyo

